

Sensitivity to Sound:

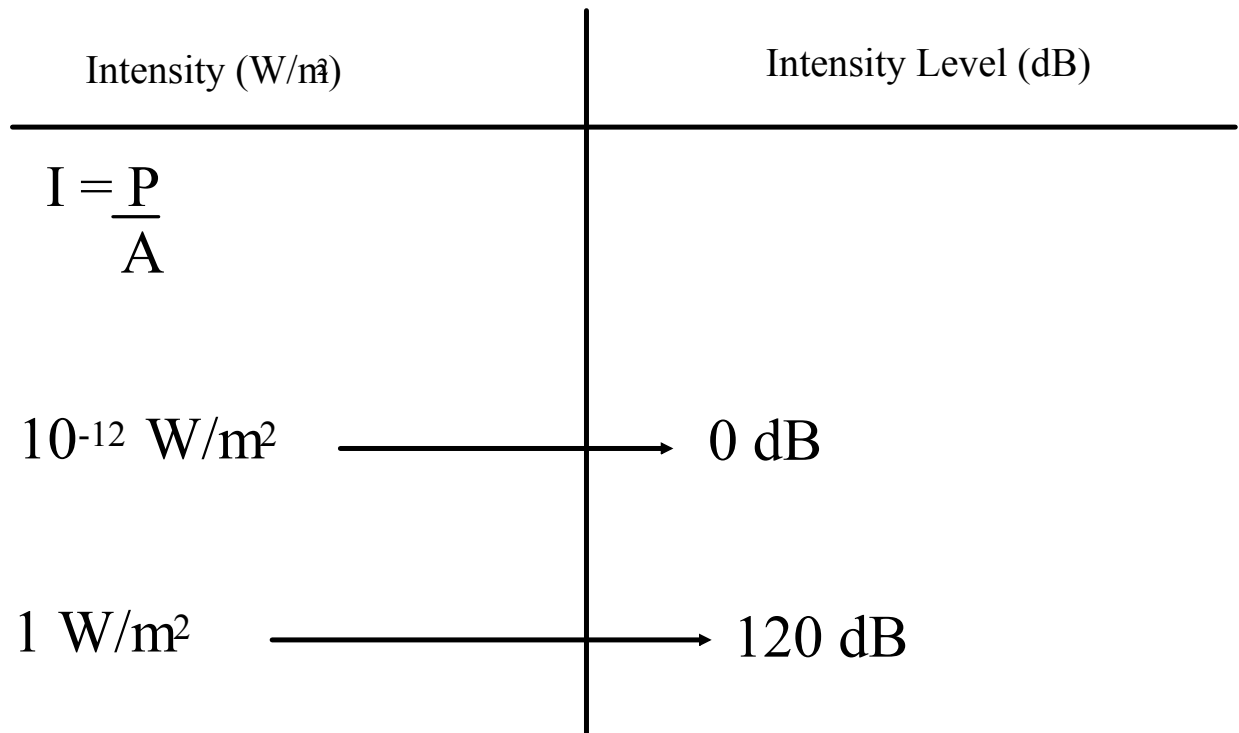
The human ear can detect sound intensities ranging from  $1.0 \times 10^{-12} \text{ W/m}^2$  ( $1.0 \text{ pW/m}^2$ ) all the way up to  $1.0 \text{ W/m}^2$ , ranging from 0 dB (threshold of sound) all the way to 120 dB (threshold of pain).

This sensitivity is dependant on the frequency of the sound. (see p.470)

We can hear frequencies ranging from 20 Hz to about 20000 Hz, however the ear is most sensitive to frequencies between 1000 Hz and 5000 Hz. Why?

Put another way, if a flute and a tuba were emitting the same intensity, the flute would seem louder to us.





*...because the Decibel scale is exponential the intensity of a 10 decibel increase is actually 10 times as great!*

So ... 10dB -> 30dB

100 times louder

 [http://www.egopont.com/hearing\\_tests.php?soundID=2000](http://www.egopont.com/hearing_tests.php?soundID=2000)

*Test earphones...*

If you are 2.0m away from a  $1.0 \text{ W/m}^2$  sound and you then move back to 6.0m, what intensity will you hear?

$$\frac{I_1}{I_2} = \frac{r_2^2}{r_1^2}$$

*\*only for Intensity ( $\text{W/m}^2$ )*


## Beats:

Refers to the frequency of a pulsating noise, and not the frequencies of the individual sounds which make up the noise

As the sound waves from each wave travel, the slight frequency variation leads to a pattern of constructive and destructive interference which results in us hearing beats.

$$\text{beat frequency } (f_b) = |f_2 - f_1|$$

Example: Calculate the beat frequency when a tuning fork of 440 Hz is sounded with one of 442 Hz.

 <http://faraday.physics.utoronto.ca/PVB/Harrison/Flash/ClassMechanics/Beats/Beats.html>

## **Homework**

**Read p. 510**

**do p. 511 # 1**

**do p. 515 # 2, 3, 4, 5, 6**

**do p. 516 # 19, 20, 23**