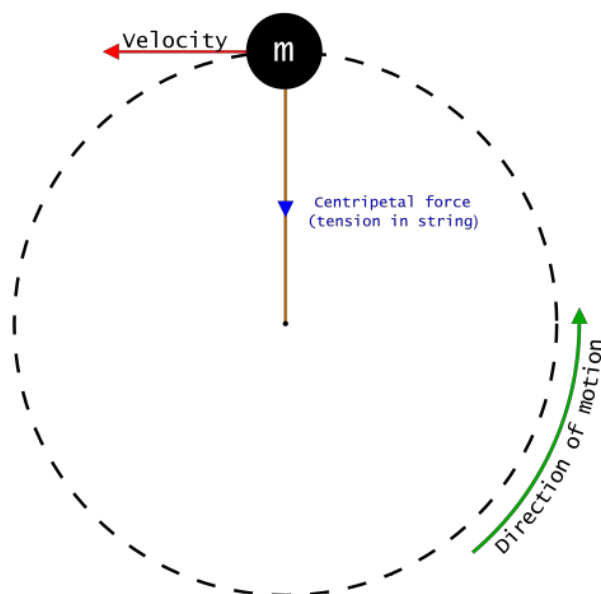


## Centripetal Motion

Centripetal Motion is motion in a circle at a constant speed.

The motion is caused by a centripetal force which is directed toward the center of the circular path.

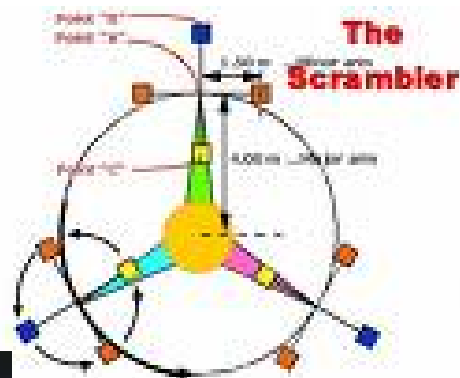
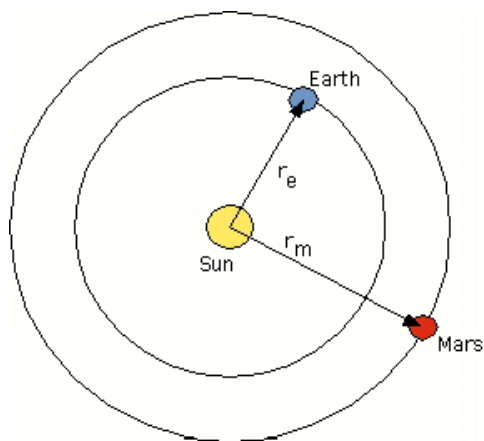
According to Newton's Second Law, the acceleration must also be directed toward the center of the circle/



The centripetal force is **NOT** a new force.

The centripetal force needed can be provided by a number of familiar forces.

Such as...

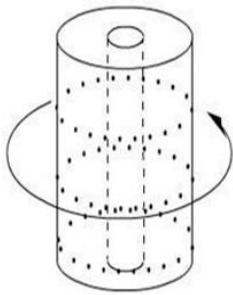


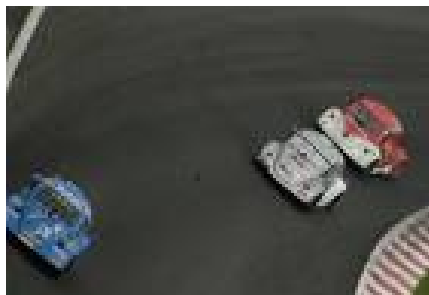


$$F_{\text{centripetal}} = m \frac{v^2}{r}$$

$\frac{v^2}{r}$  is the centripetal acceleration







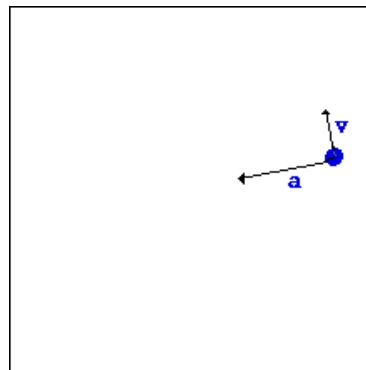
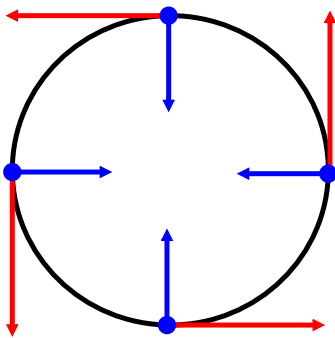
The **speed is constant** at all points on the circle but the **velocity is changing** because the direction is changing..

Any object undergoing UCM is **accelerating**.

*confused yet?*

This acceleration is called the **centripetal acceleration**,  $a_c$ , and it always points towards the **center of the circle**.

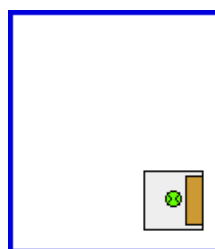
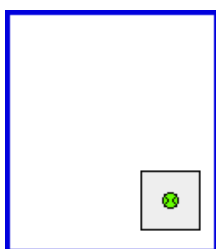
notice the velocities are **tangential**  
to the circle, while the  
accelerations are **perpendicular**.



*Consider the force you feel when going around a right hand turn*



*Without a centripetal force, an object in motion continues along a straight-line path. With a centripetal force, an object in motion will be accelerated and change its direction.*





## Calculating centripetal force and acceleration...

$$v = d/t$$

$a_c$  = centripetal acceleration ( $m/s^2$ )

$v$  = speed (tangential) ( $m/s$ )

$r$  = radius ( $m$ )

$T$  = period ( $s$ )

$f$  = frequency ( $Hz$ ) or ( $s^{-1}$ )

$$a_c = \frac{v^2}{r} \quad * \textit{not given}$$

\* *But what does  $F = ?$*



Ex 1: A 32.0 kg mass moves in uniform circular motion at 4.1 m/s around a 12.0 m radius horizontal track.

a) What is the centripetal acceleration,  $a_c$

- b) How much force is required to keep the object moving in a circle?  
*Remember the **net** force is the **centripetal** force.*

Practice...

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